

Velocity modeling to determine pore aspect ratios of the Haynesville Shale

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Motivation

The Haynesville Shale have penny-shaped pores (Low aspect ratio)(Curtis et al., 2010).

The pore shape of the formation

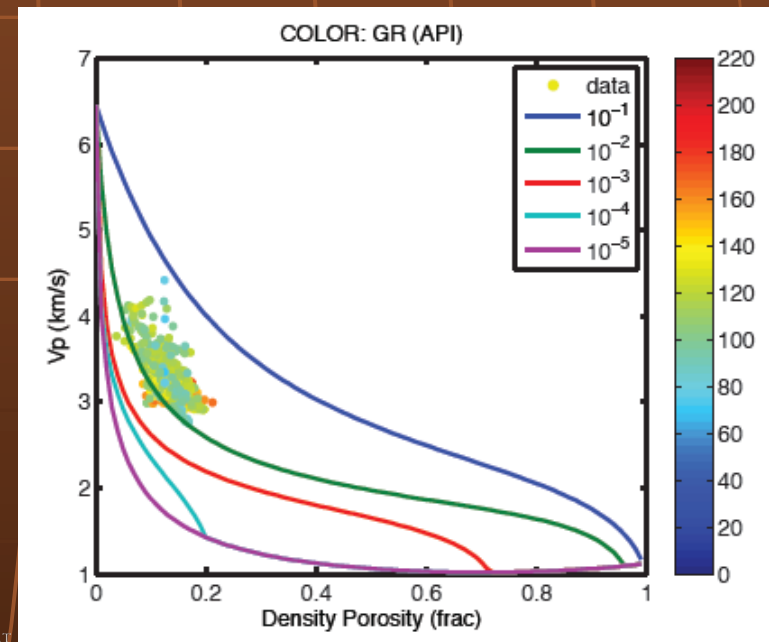
- closely related to pore stiffness and rock stiffness



Aspect ratio = c/a

Purpose of modeling :

- determine pore aspect ratios by comparing the modeled velocities to the upscaled velocities (P-wave)



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(Jiang and Spikes, 2011) 2

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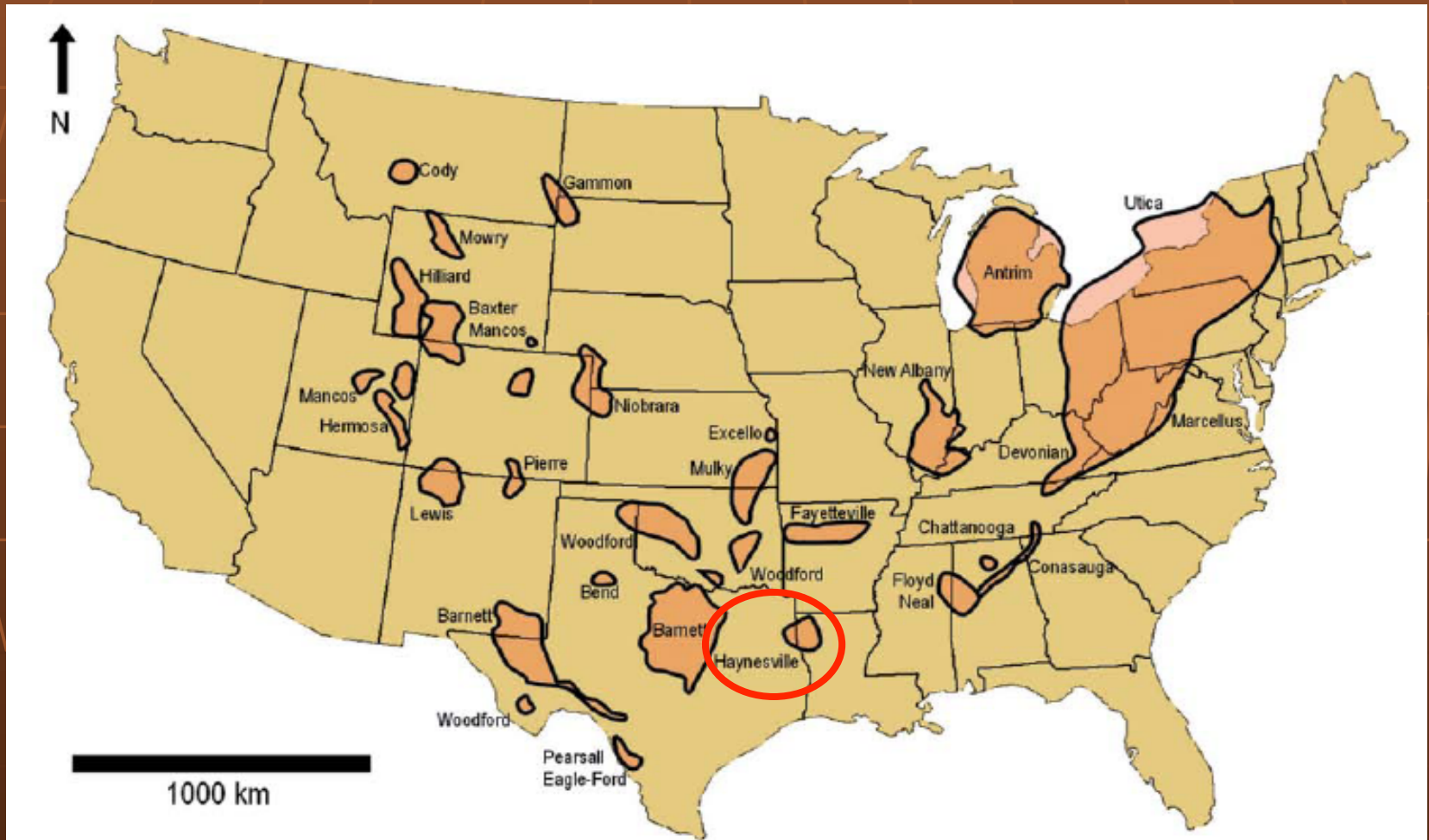
4. Results of velocity modeling

- Pore aspect ratios for fixed fluid properties
- Effect of fluid property changes to velocities
- Pore aspect ratios for various fluid properties

5. Conclusion

1. Introduction

USA gas shale plays

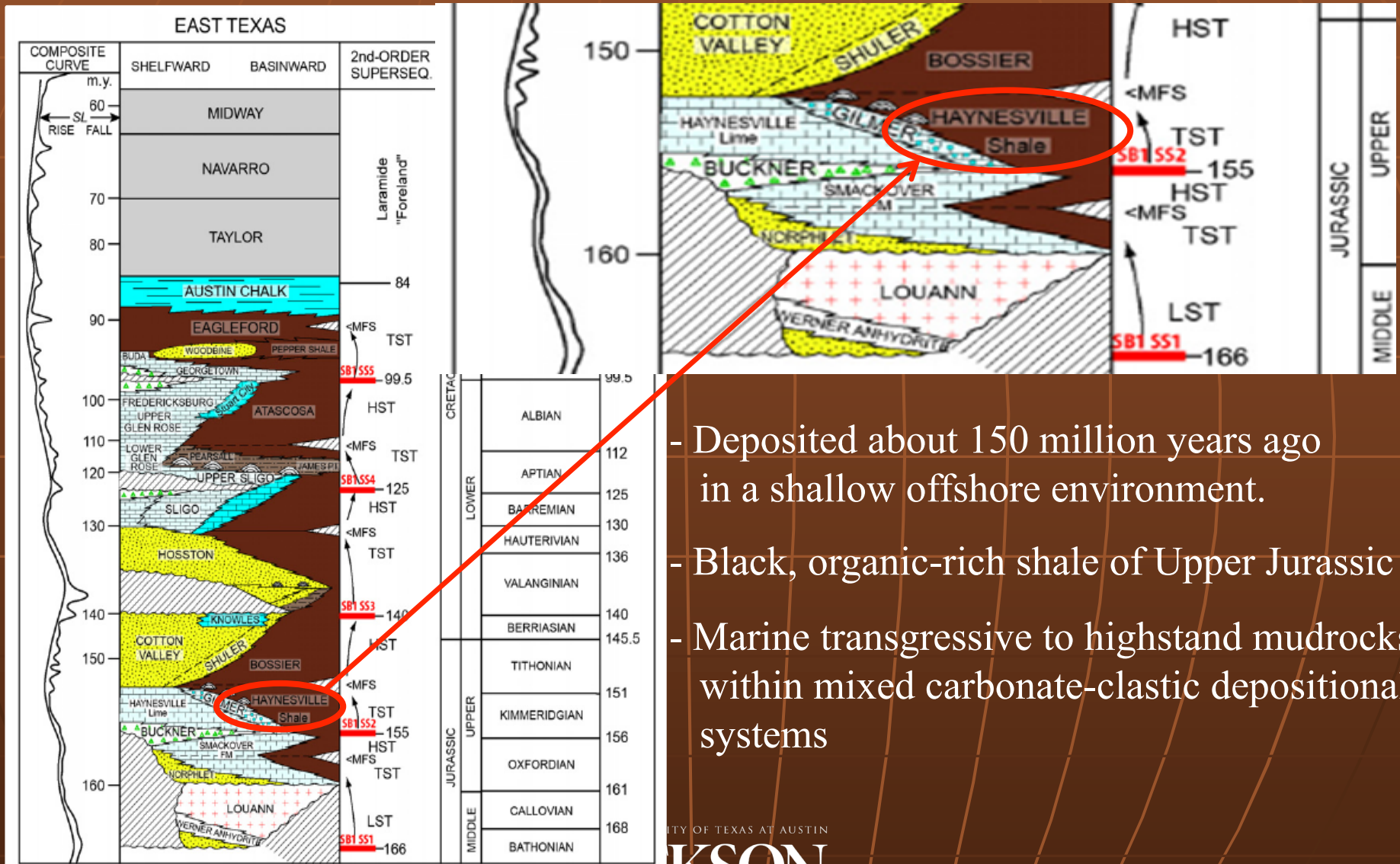


(Horne et al., 2012)



- Located in northwest Louisiana and East Texas
- Lying approximately 10,000 to 13,000 feet sub-surface
- A rock formation containing oil and gas and an important shale-gas resource play
- Total reserves : 100 Tcf
- Production : about 2 Bcf/d (Hammes et al. 2011)

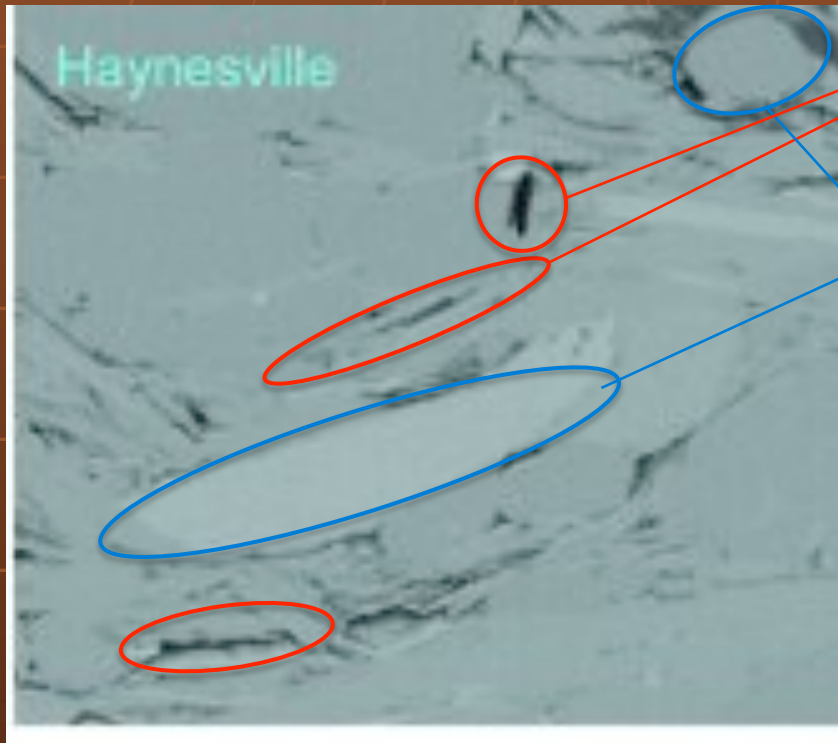
Sequence Stratigraphy



- Deposited about 150 million years ago in a shallow offshore environment.
- Black, organic-rich shale of Upper Jurassic
- Marine transgressive to highstand mudrocks within mixed carbonate-clastic depositional systems

A Micro-structural Image

Nano-scale image

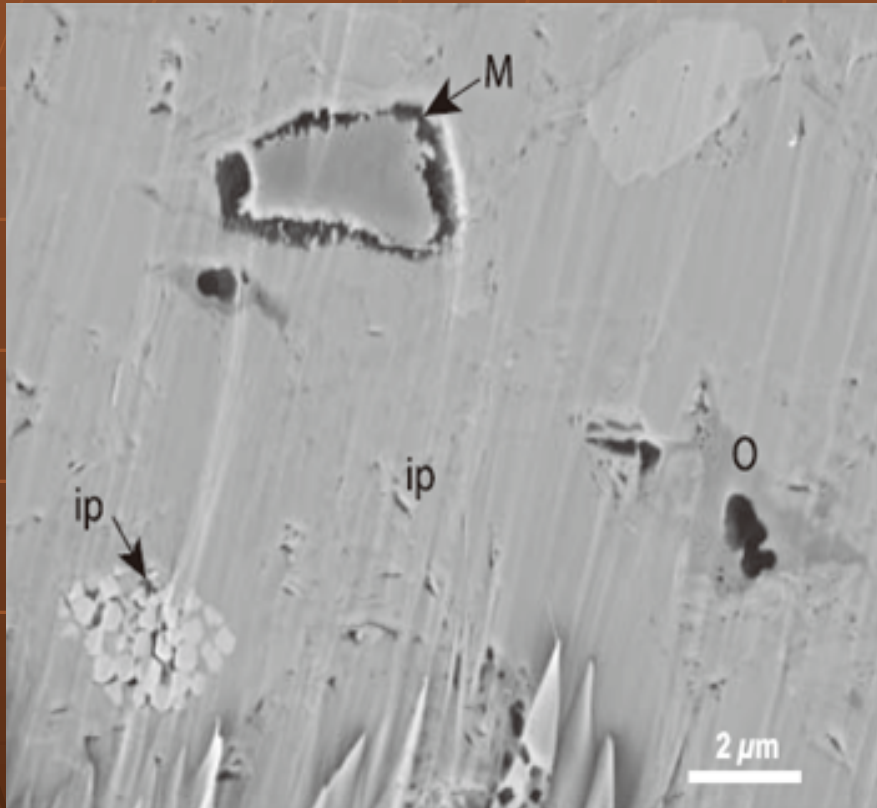


- Dark is organic material (solid) inside pore.
- Light gray is matrix or grain.
- Most pore shapes are flat (crack-like) : (low aspect ratio).
- Variable grain shapes

Scale : 10 nanometer

(Modified from Curtis et al, 2010)

SEM image



On the middle right (O)
- Numerous nano-scale pores and one μm -scale pore including organic material .

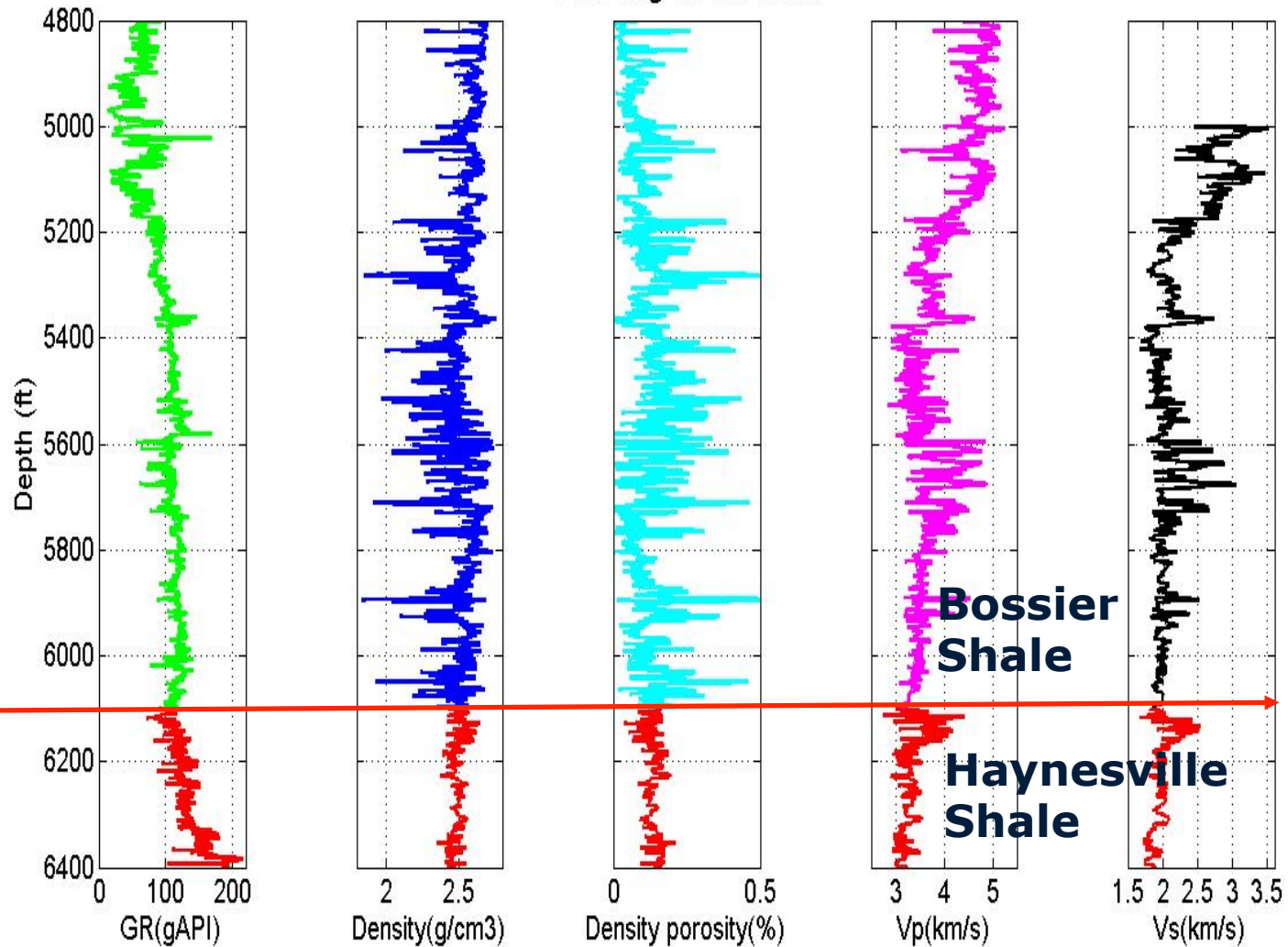
At the lower left (ip)
- Inter-crystalline pores between pyrite framboid crystals.

In the top center (M)
- Moldic pores between organic matter and mineral grain.

(Hammes et al., 2011)

Well Log Data

Well Log for the Data



2. Theory

1) Effective media theory - Backus Average

λ : the wavelength, d : the layer thickness

When $\lambda / d \gg 1$, the wave velocity is given by an average of the individual layers (Backus, 1962).

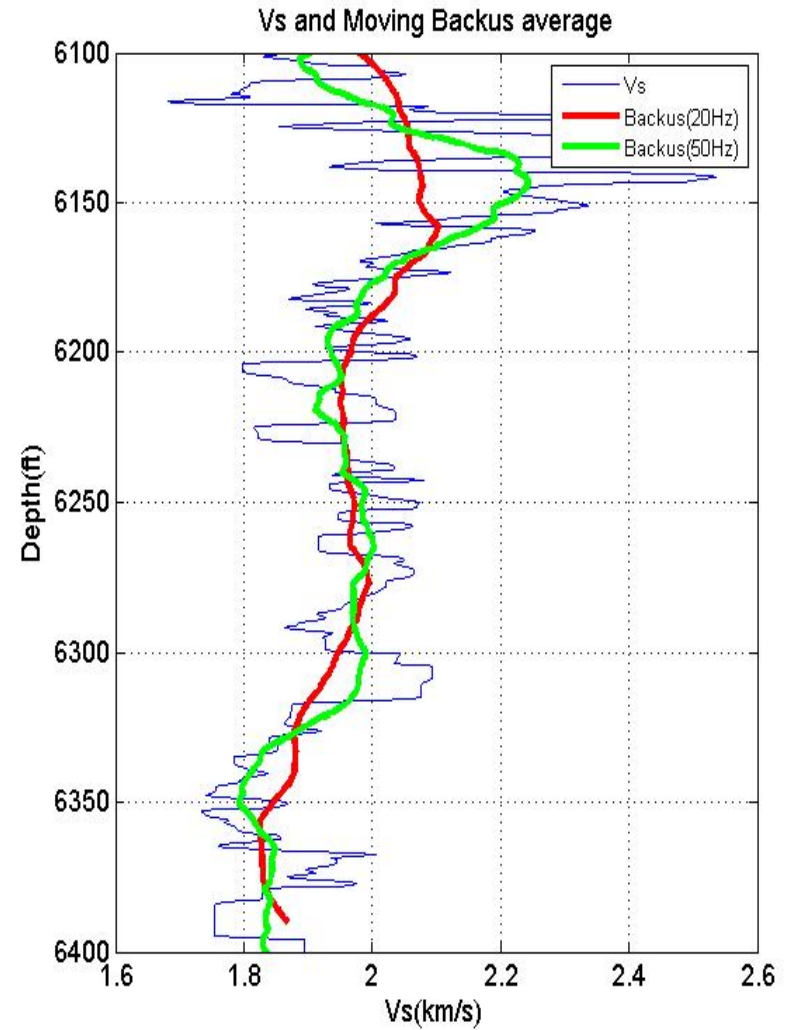
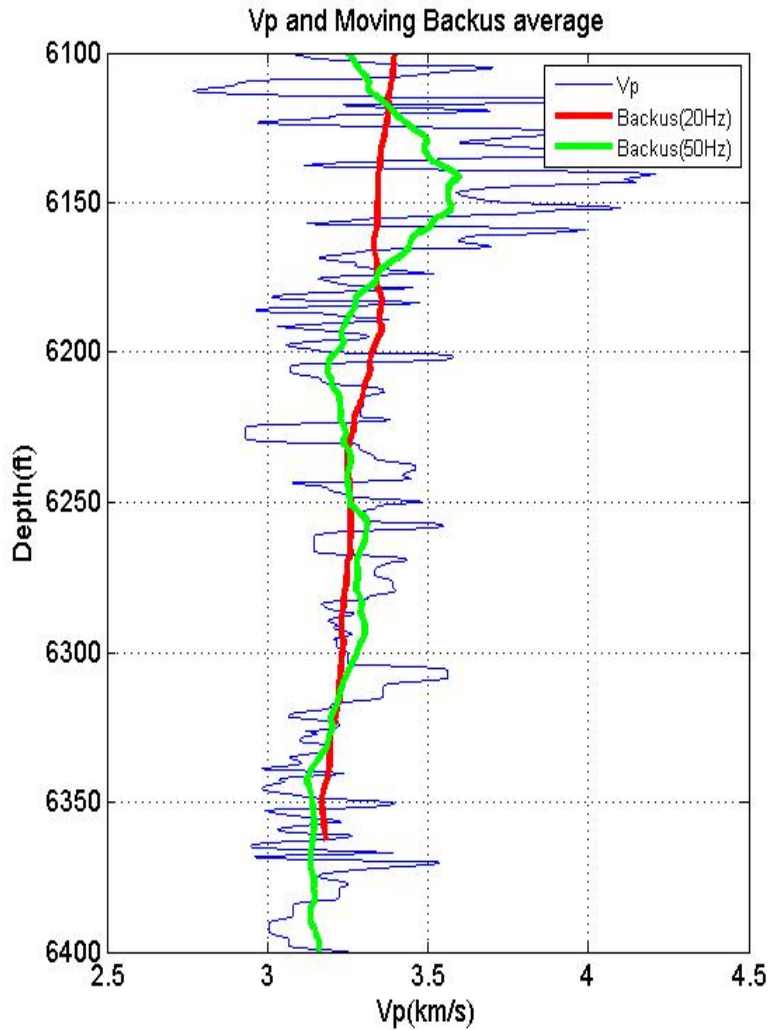
For normal incidence propagation

$$V_{EMT} = (M_{EMT} / \rho_{ave})^{1/2} \quad (V_{EMT}: \text{Backus average velocity})$$

$$M_{EMT} = [\sum k \uparrow \downarrow f \downarrow k / M \downarrow k] \uparrow^{-1} \quad \text{or} \quad 1 / \rho_{ave} V_{EMT} \uparrow^2 = \sum k \uparrow \downarrow f \downarrow k$$

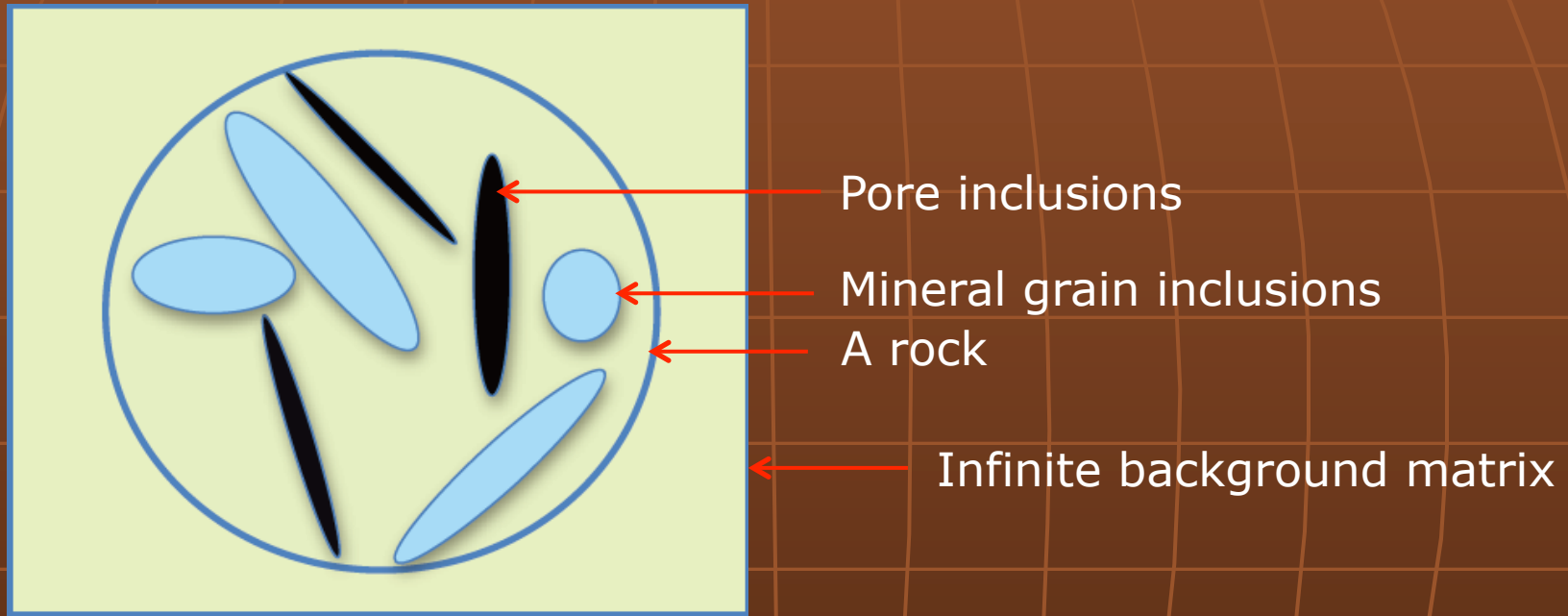
$$\rho_{ave} = \sum k \uparrow \downarrow f \downarrow k \rho \downarrow k$$

Backus Average(V_p , V_s)



2) Self-Consistent Model

Schematic diagram of the self-consistent model



(Jiang and Spikes, 2011)

The elastic moduli of the rock depend on the elastic properties of the grain inclusions and pore inclusions.

Berryman (1980b, 1995) gives a general form of the self-consistent approximations for N-phase composites:

$$\sum_{i=1}^N x_i (K_i - K_{SC}^*) P_i = 0$$

$$\sum_{i=1}^N x_i (\mu_i - \mu_{SC}^*) Q_i = 0$$

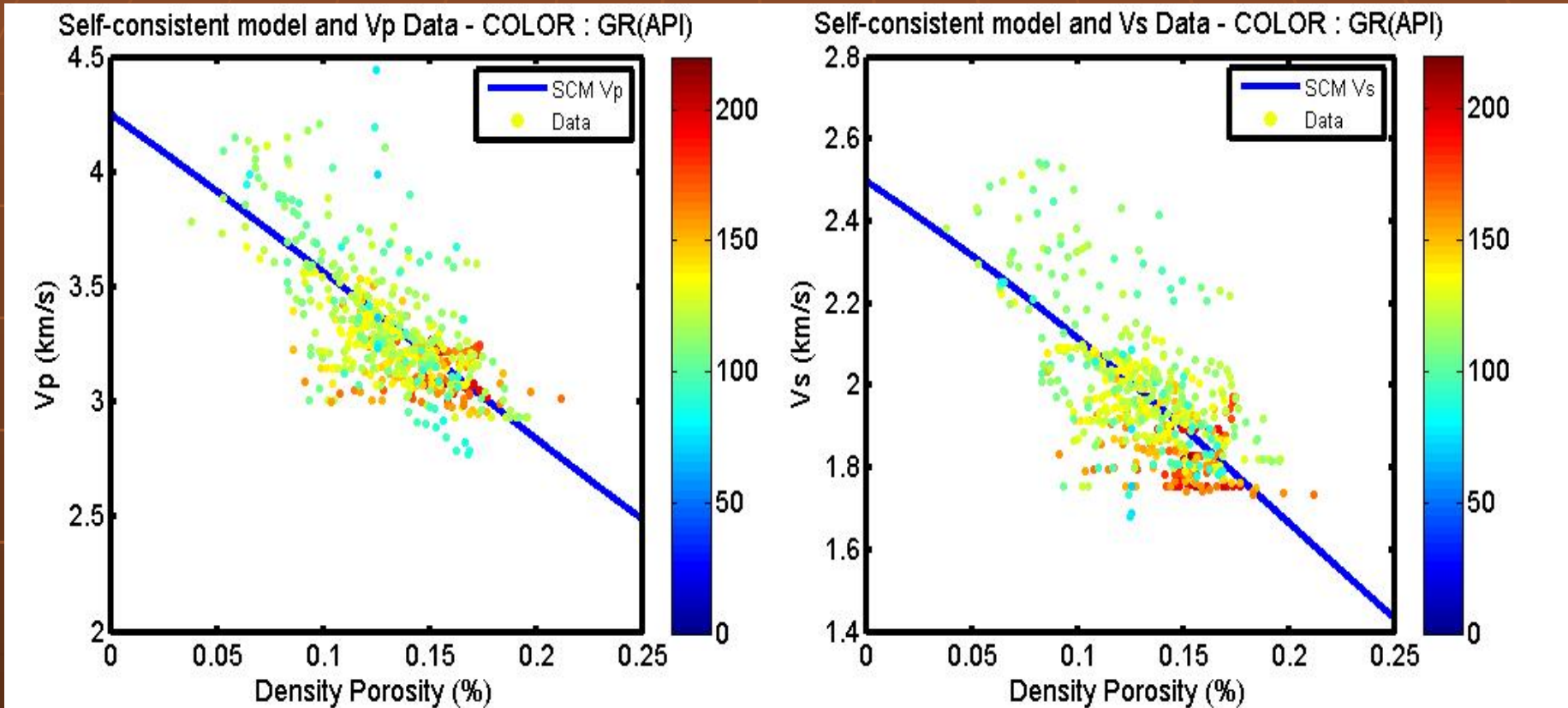
(Mavko et al., 2009)

Where i : i^{th} material, x_i : its volume fraction, P and Q : geometric factors.
 K_{SC}^* and μ_{SC}^* : self-consistent effective moduli.

Advantages

Not limited to specific compositions and are able to model multiple mineralogical phases, as well as their shapes

Self-consistent modeling results



Aspect ratio: $N(0.145, 0.01^2)$
Average composition (XRD)

3) Gassmann fluid substitution

Gassmann fluid substitution allows us to obtain the bulk and shear moduli of the fluid-saturated rock from the dry rock mineral moduli, porosity, and fluid moduli.

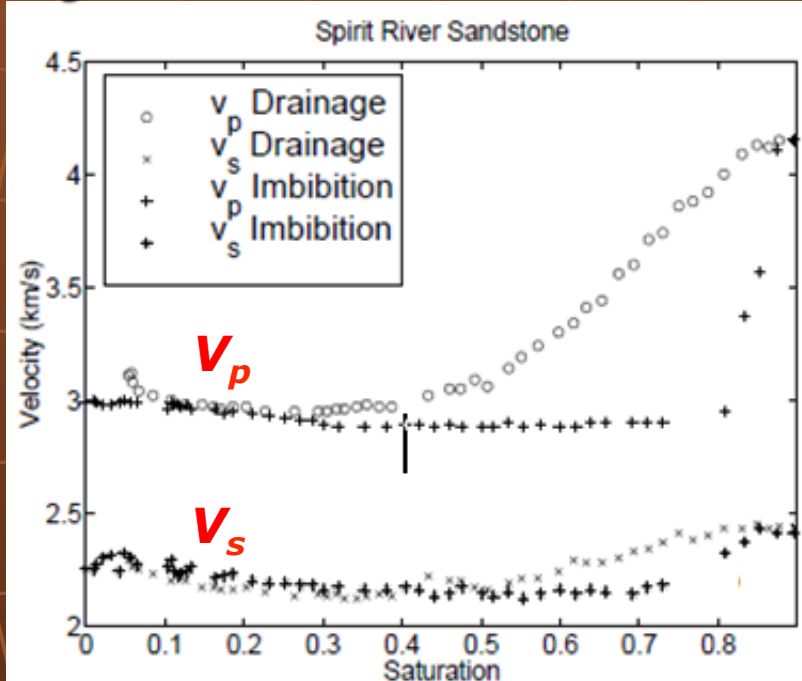
Gassmann (1951) provided this general relation between the dry rock and saturated-rock moduli.

$$\frac{K_{\downarrow 2} / K_{\downarrow min} - K_{\downarrow 2}}{K_{\downarrow f1} / \varphi(K_{\downarrow min} - K_{\downarrow f1})} = \frac{K_{\downarrow 1} / K_{\downarrow min} - K_{\downarrow 1}}{K_{\downarrow f2} / \varphi(K_{\downarrow min} - K_{\downarrow f2})}$$

$$\frac{K_{\downarrow sat} / K_{\downarrow min} - K_{\downarrow sat}}{K_{\downarrow fluid} / \varphi(K_{\downarrow min} - K_{\downarrow fluid})} = \frac{K_{\downarrow dry} / K_{\downarrow min} - K_{\downarrow dry}}{K_{\downarrow fluid} / \varphi(K_{\downarrow min} - K_{\downarrow fluid})}, \quad 1/\mu_{\downarrow sat} = 1/\mu_{\downarrow dry}$$

4) Partial saturation

hysteresis effect



(Berryman et al., 1999)

Patchy saturation is always higher velocities than Uniform saturation.
(Mavko and Mukerji, 1998)

Elastic velocities can be significantly affected by the pore-scale mixing of fluids.

Patchy saturation : Drainage

$$K_{\downarrow fl} = \sum_i^{\uparrow} S_{li} K_{li} \quad (\text{upper bounds})$$

Uniform saturation : Imbibition

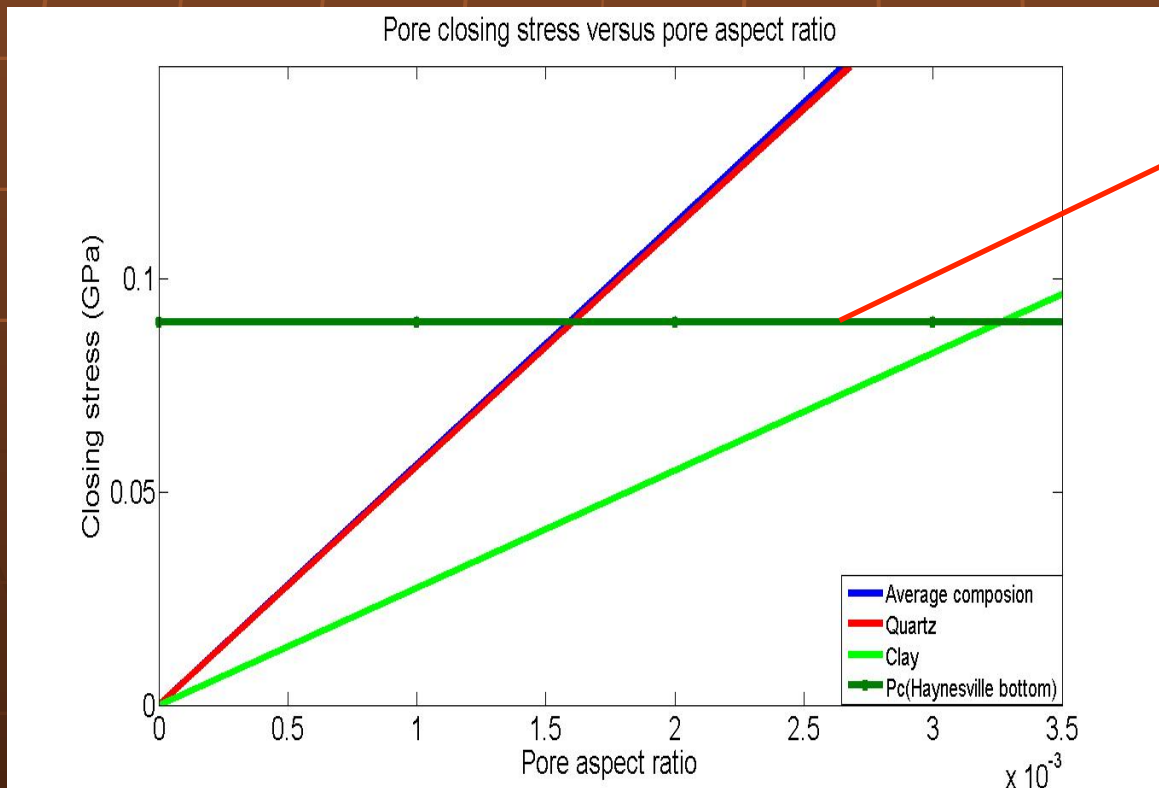
$$1/K_{\downarrow fl} = \sum_i^{\uparrow} (S_{li} / K_{li}) \quad (\text{lower bounds})$$

5) Closing stress

The closing stress of the pores (Mavko et al., 2009).

$$\sigma_{close} = 3\pi(1-2\nu_0)/4(1-\nu_0) \mu_0 P_c a$$

ν_0 : Poisson's ratio of the matrix
 μ_0 : bulk modulus of the matrix
 a : pore aspect ratio

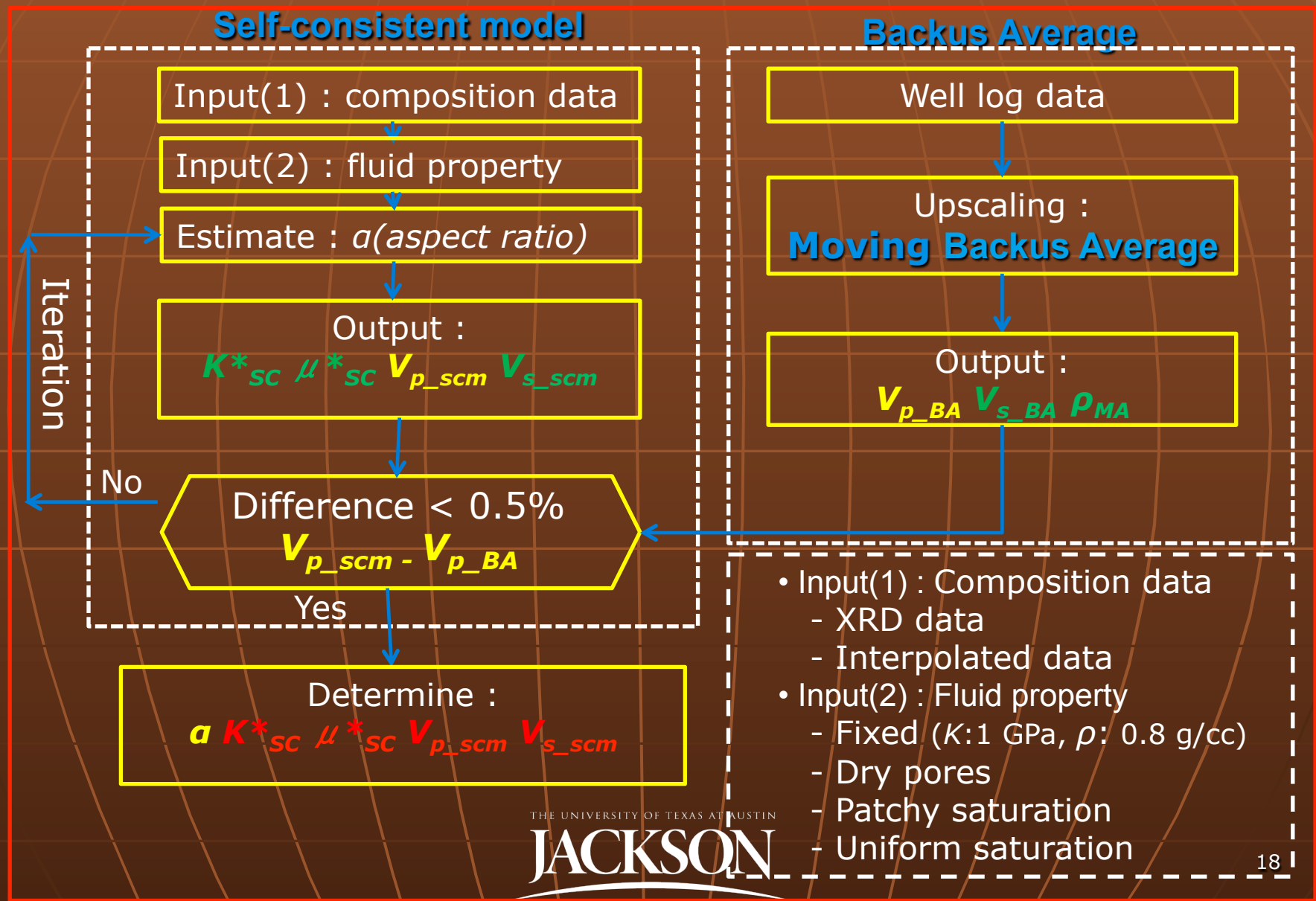


P_c : 85 - 90 MPa

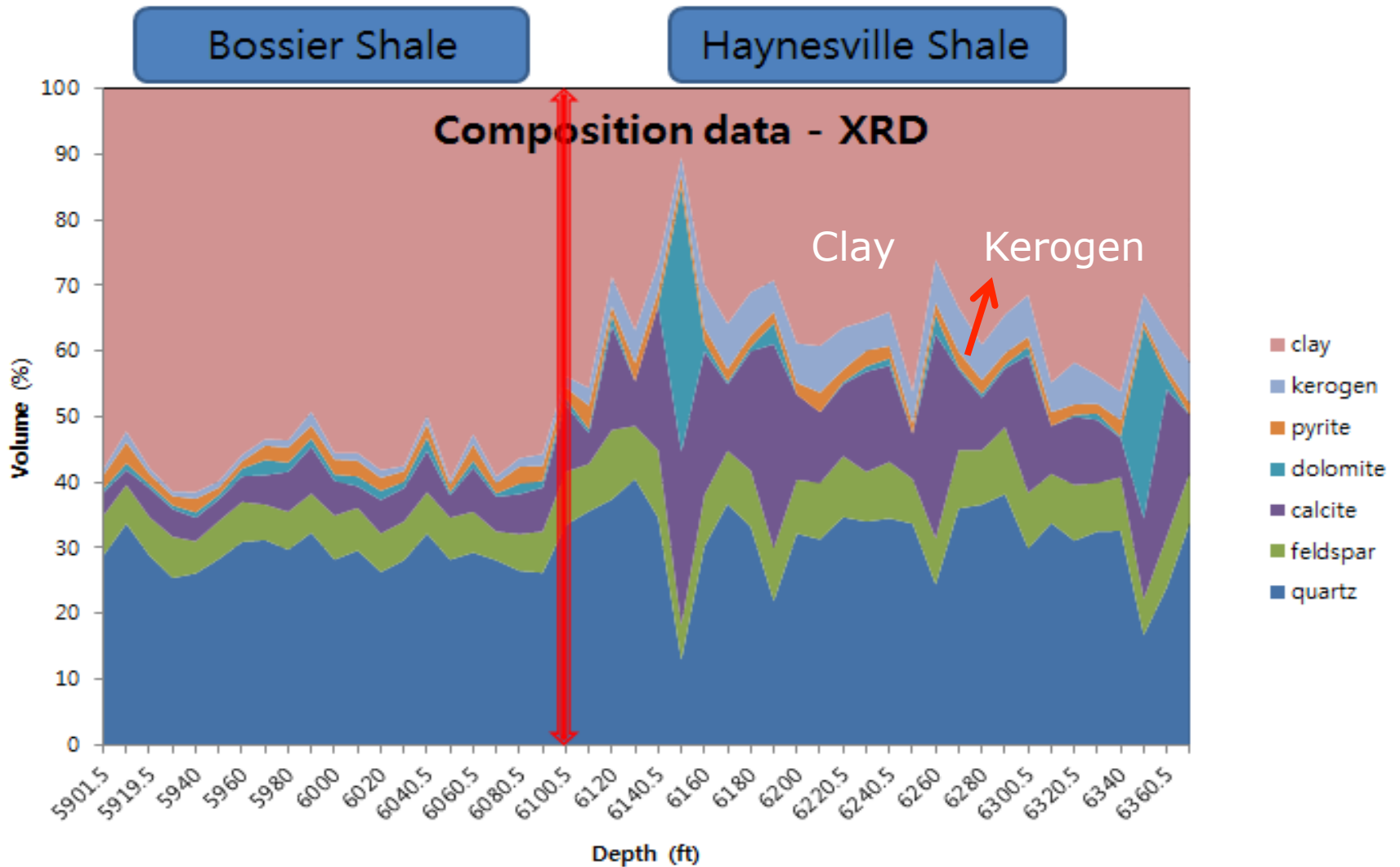
Pore aspect ratio (a) which closes the pore

- Average composition & Quartz (0.0015 to 0.0016)
- Clay (0.0035)

3. Modeling methodology (20Hz, 50 Hz)



Composition data

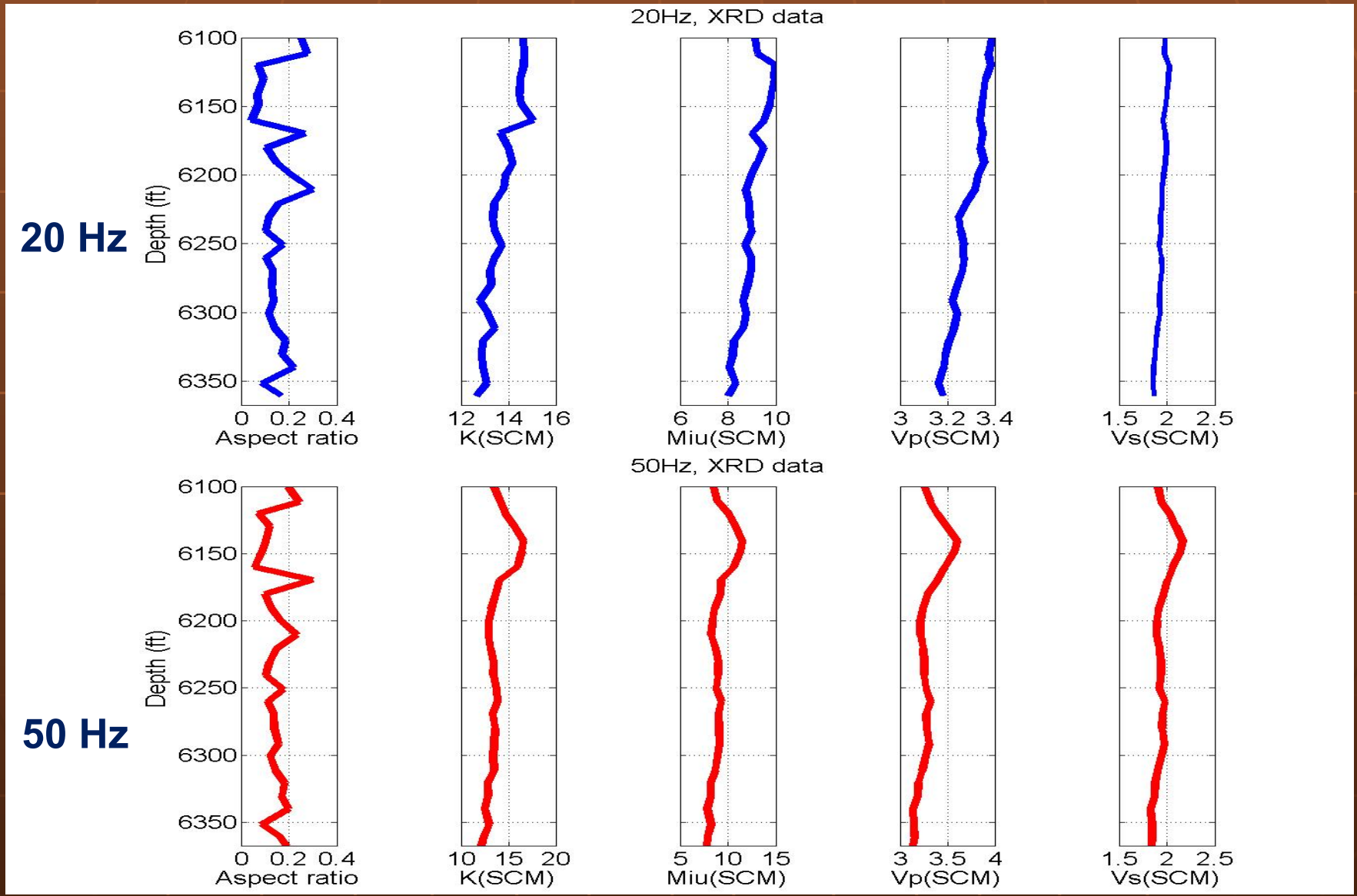


4. Results of velocity modeling

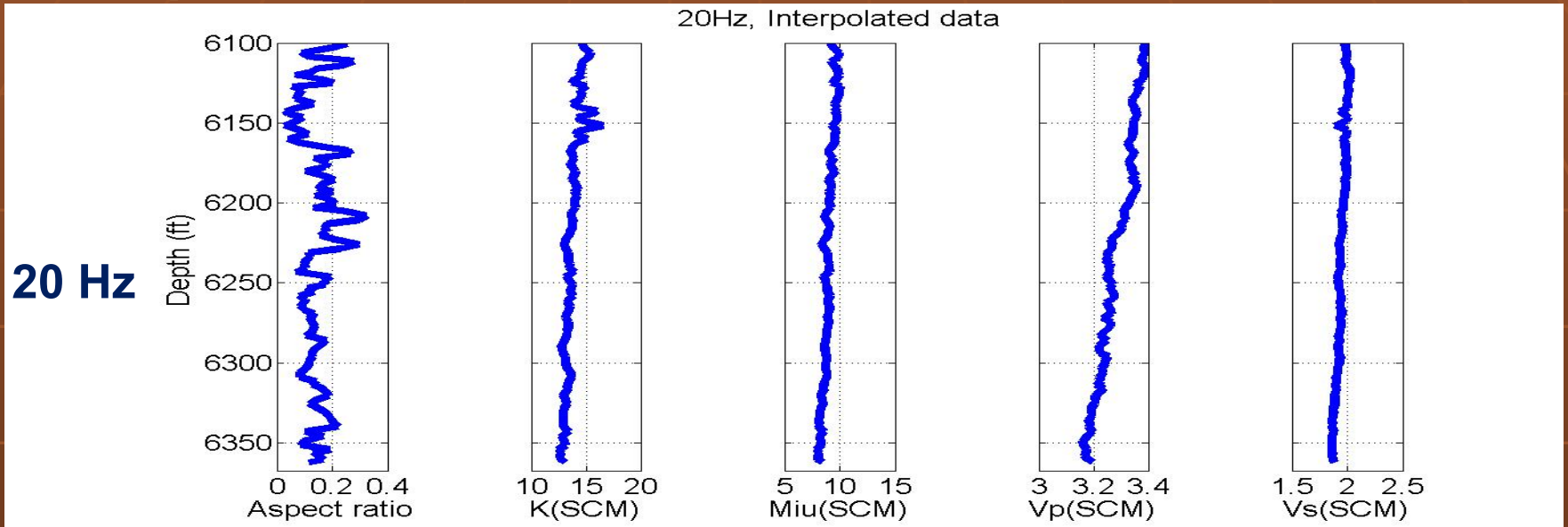
- 1) Pore aspect ratios for fixed fluid properties
- 2) Effect of fluid property changes to velocities
- 3) Pore aspect ratios for various fluid properties

1) Pore aspect ratios for fixed fluid properties

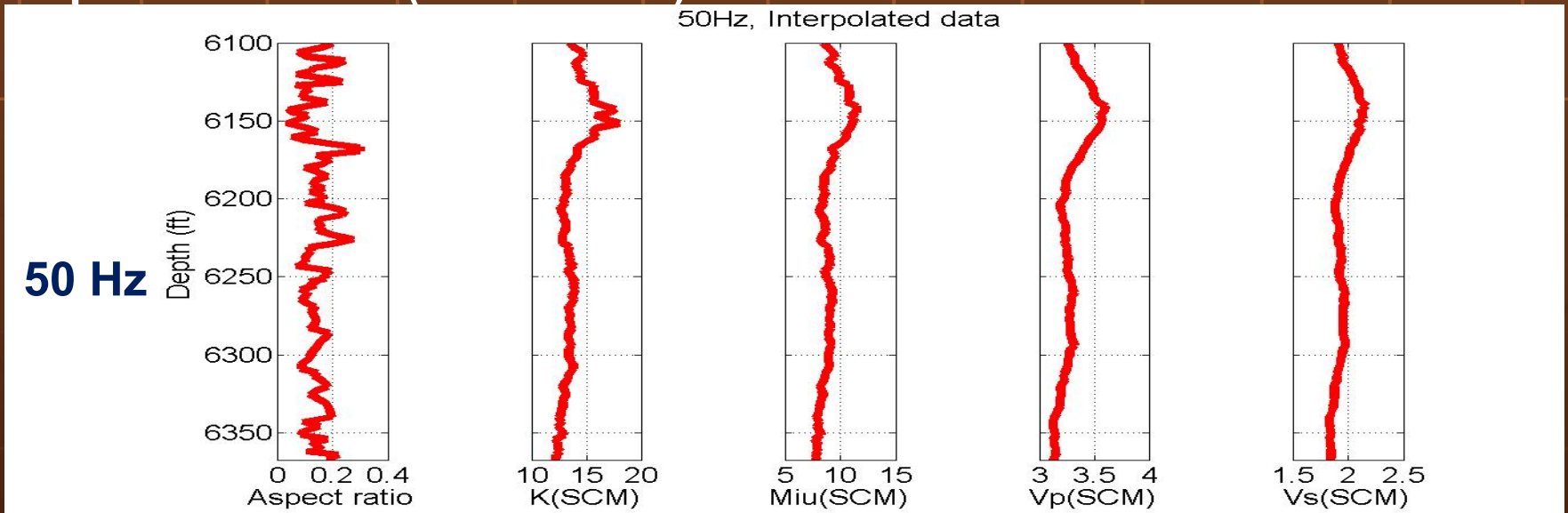
- XRD data (Fluid properties - $K: 1 \text{ GPa}$, $\rho: 0.8 \text{ g/cc}$)



- Interpolated data (Fluid properties - $K:1 \text{ GPa}$, $\rho: 0.8 \text{ g/cc}$)



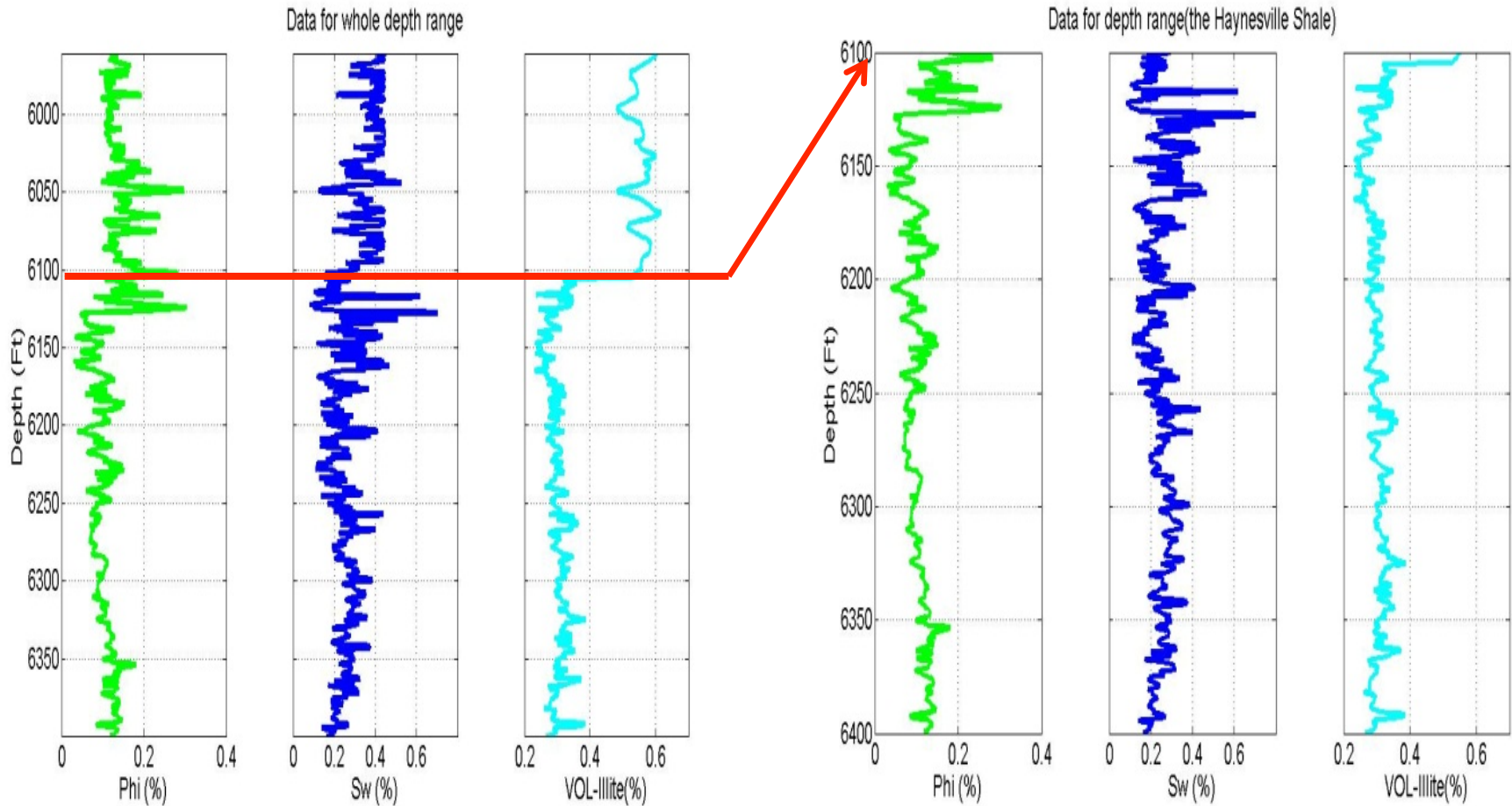
Asp 0.029 – 0.320 (Mean 0.144)



Asp 0.035 – 0.298 (Mean 0.143)

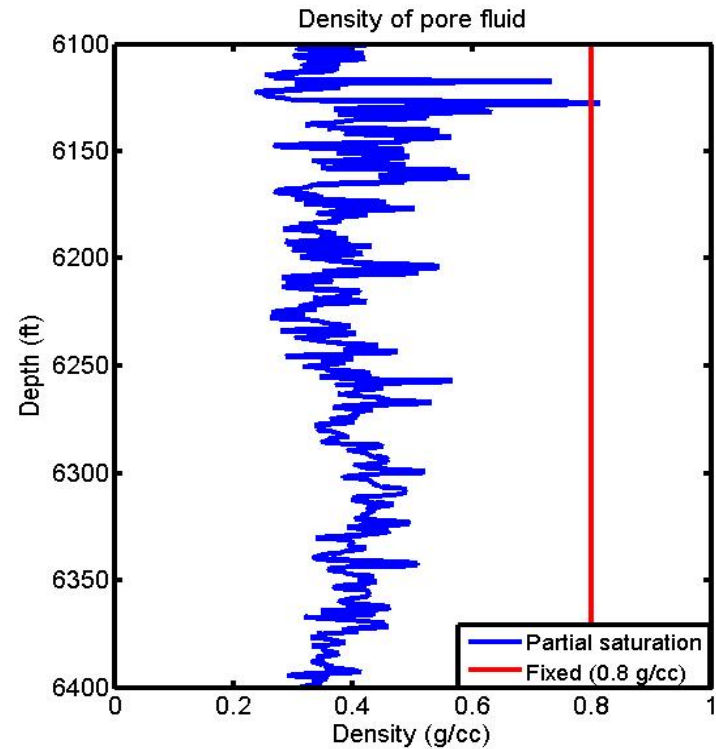
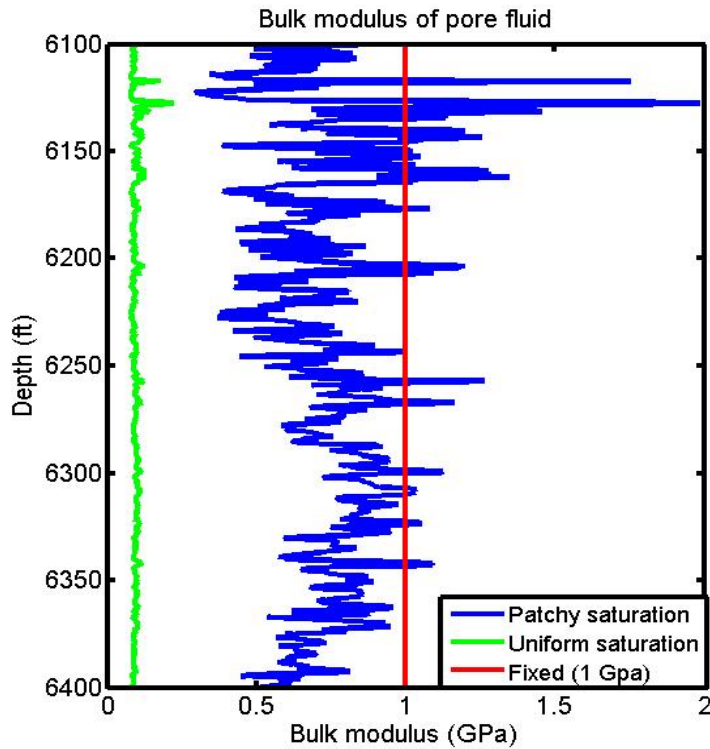
2) Effect of fluid property changes to velocities

(Well-log data for porosity, S_w , V_{illite})



Sw: 0.082 to 0.702
(Mean 0.246)

1) Patchy saturation and uniform saturation



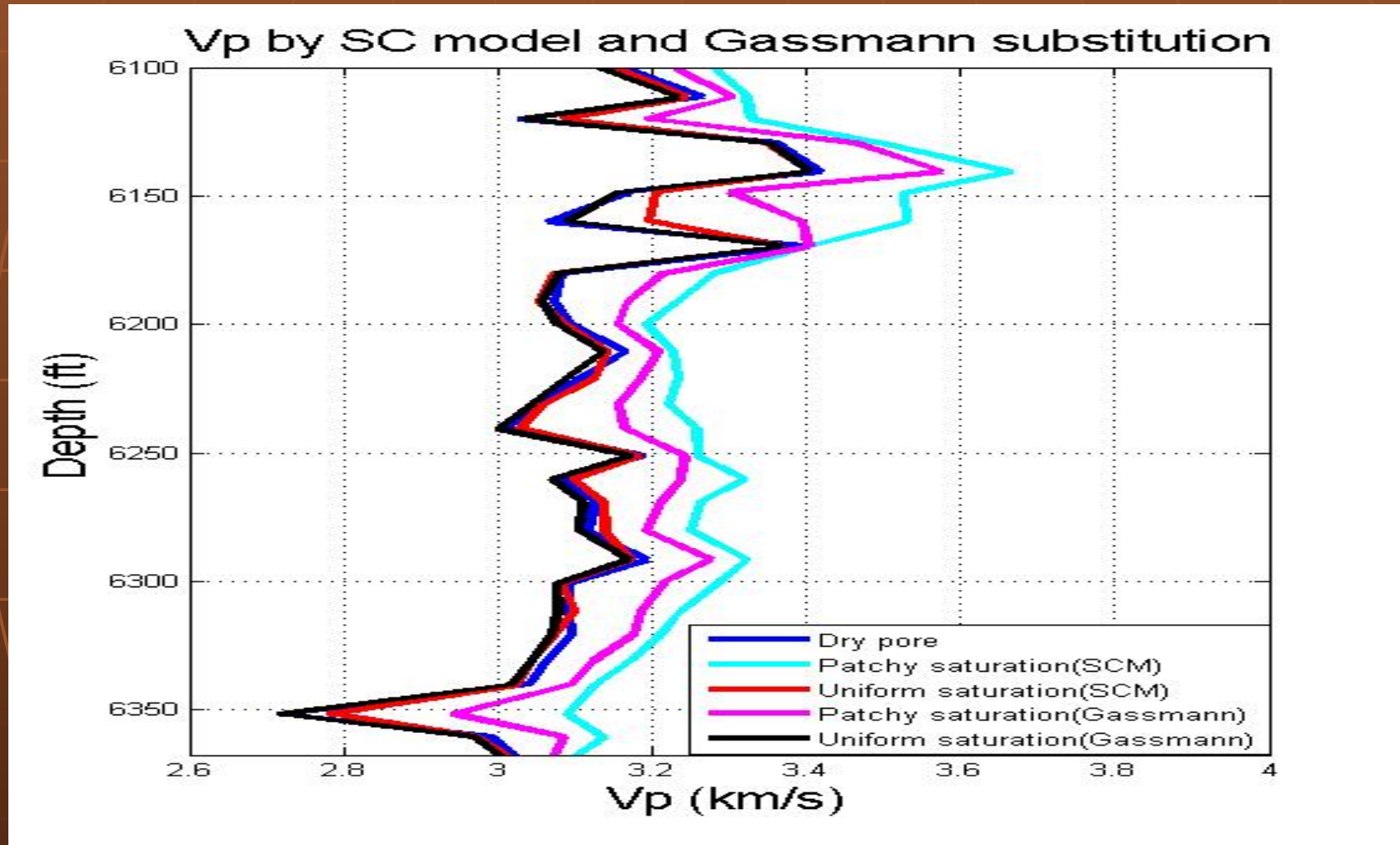
Pore fluid	Fixed	Patchy saturation			Uniform saturation		
		Max	Mean	Min	Max	Mean	Min
Bulk modulus (Gpa)	1	1.9866	0.7421	0.2936	0.2219	0.0932	0.0761
Density (g/cc)	0.8	0.8129	0.3889	0.2362	0.8129	0.3889	0.2362

2) Cases to be considered

The effect of pore fluid properties were analyzed by comparing calculated V_p .

- self-consistent model
 - dry pores
 - patchy saturation
 - uniform saturation cases
- Gassmann fluid substitution
 - patchy saturation
 - uniform saturation cases

3) Velocity comparison (P-wave)



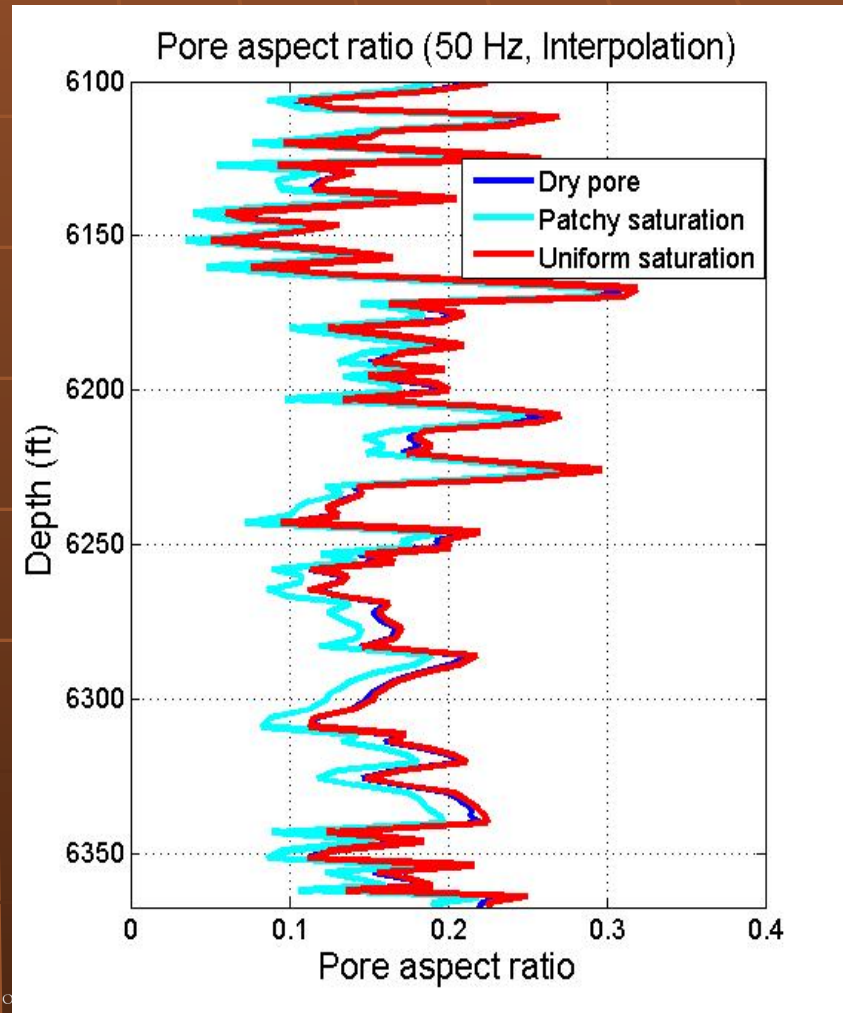
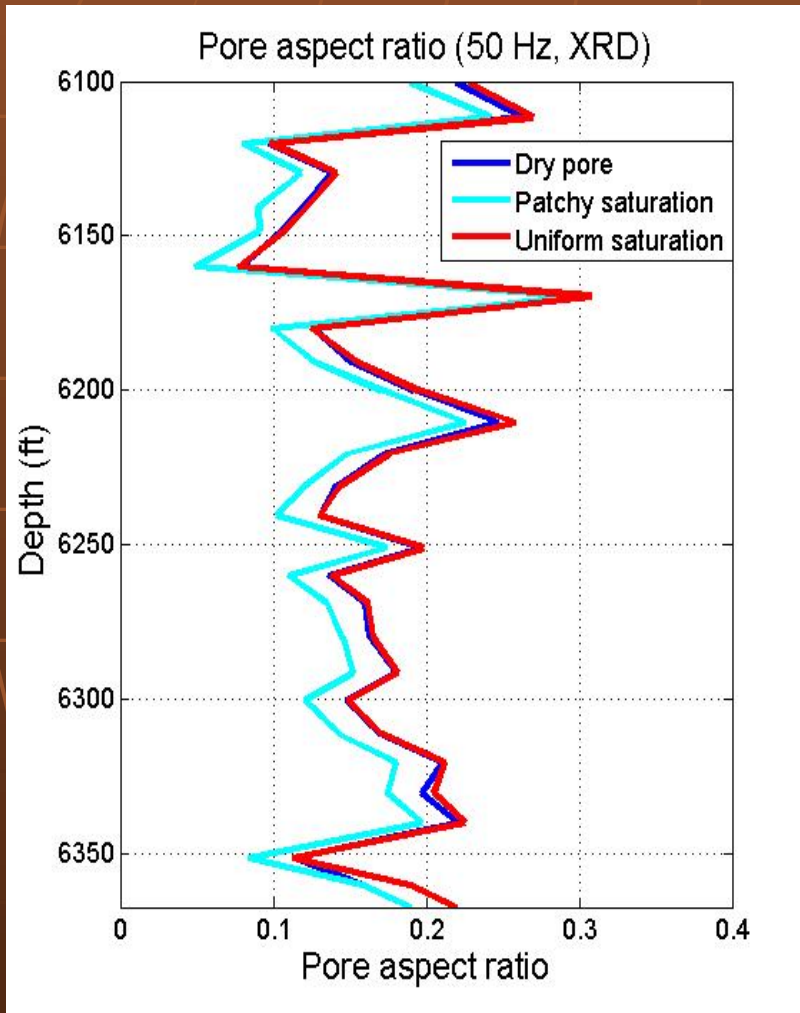
$v_{\downarrow p}$ patchy_SCM > $v_{\downarrow p}$ patchy_Gassmann > $v_{\downarrow p}$ uniform_SCM > $v_{\downarrow p}$ dry > $v_{\downarrow p}$ Uniform_Gassmann

3) Pore aspect ratios for various fluid properties

The effect of pore fluid properties to determine pore aspect ratios by velocity modeling were analyzed.

- self-consistent model
 - dry pores
 - patchy saturation
 - uniform saturation cases
- Gassmann fluid substitution
 - patchy saturation
 - uniform saturation cases

1) Comparison of results for SCM

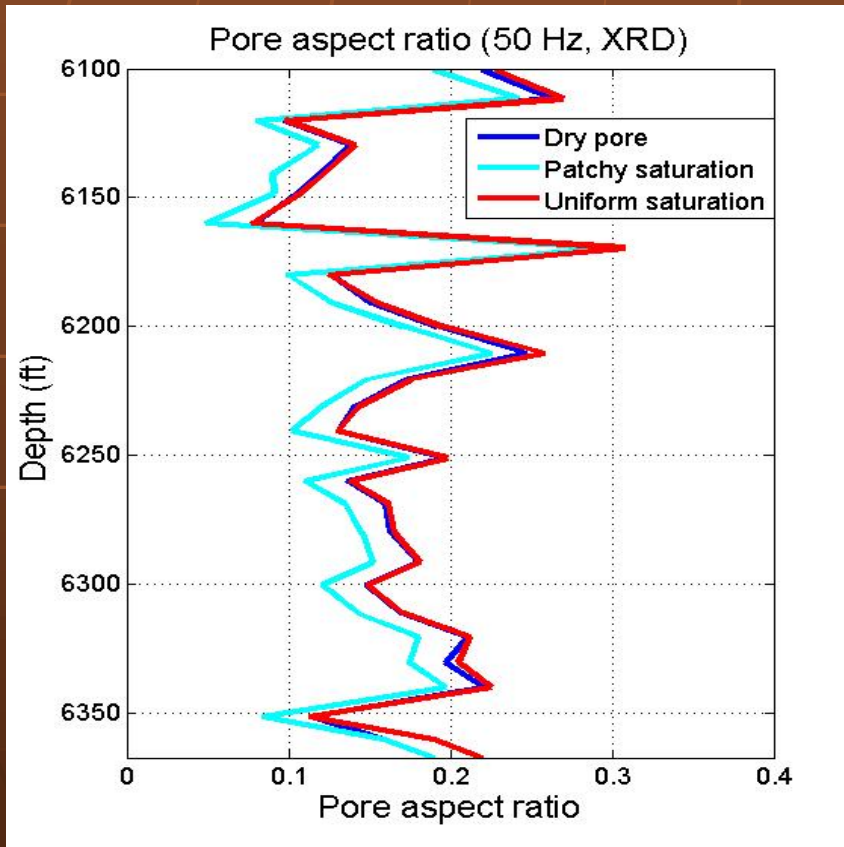


XRD data

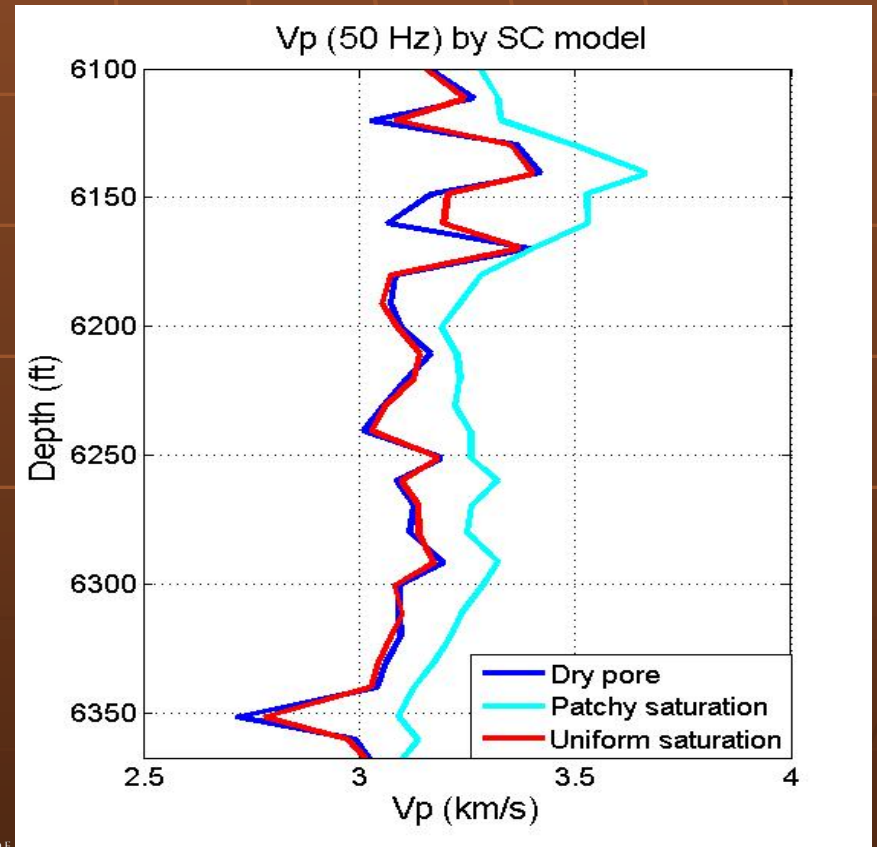
Interpolated data

Difference b/w aspect ratio and V_p from SCM

Aspect ratio



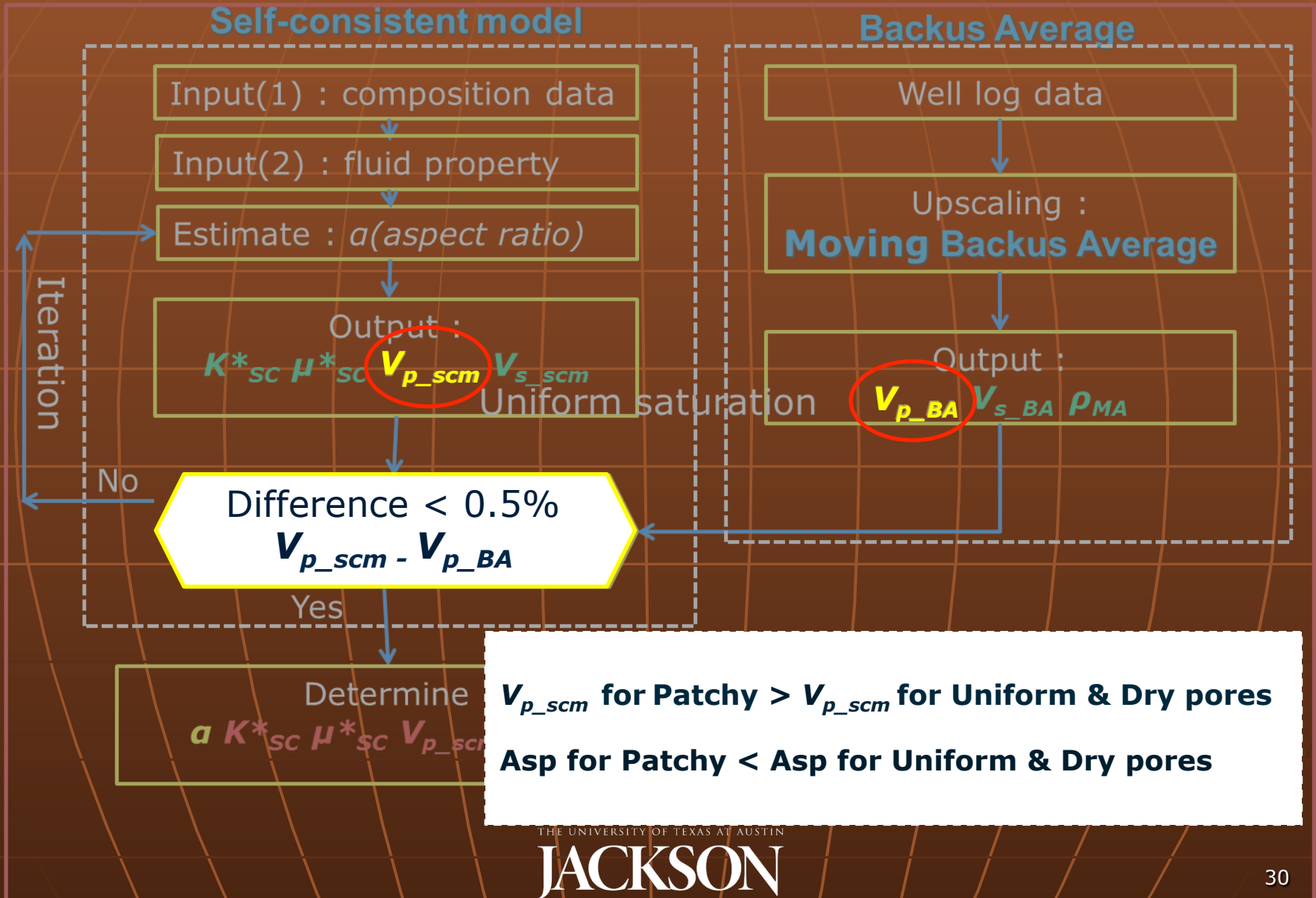
P-wave velocity



Uni > Dry > Pat

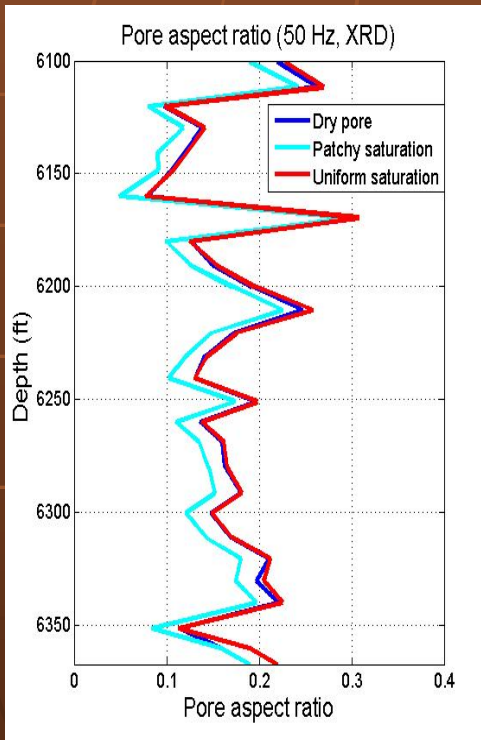
Pat > Uni > Dry

Relation b/w aspect ratio and V_p calculation from SCM



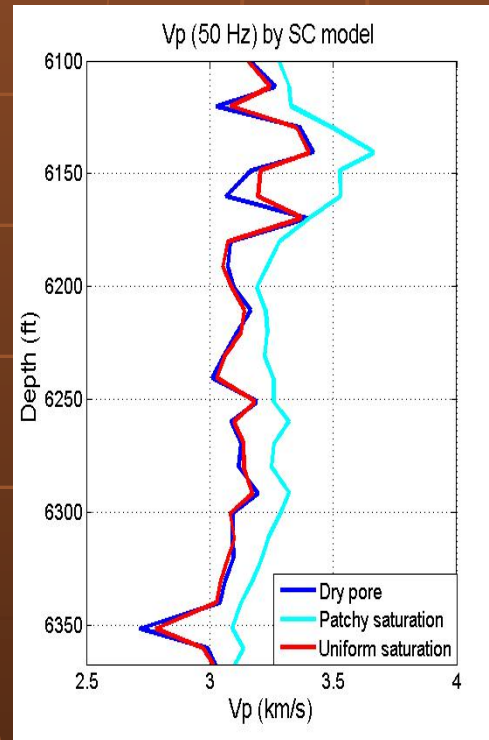
Relation b/w aspect ratio and V_p calculation from SCM

Aspect ratio



Uni > Dry > Pat

P-wave velocity



Pat > Uni > Dry

Vp or Bulk moduli increase

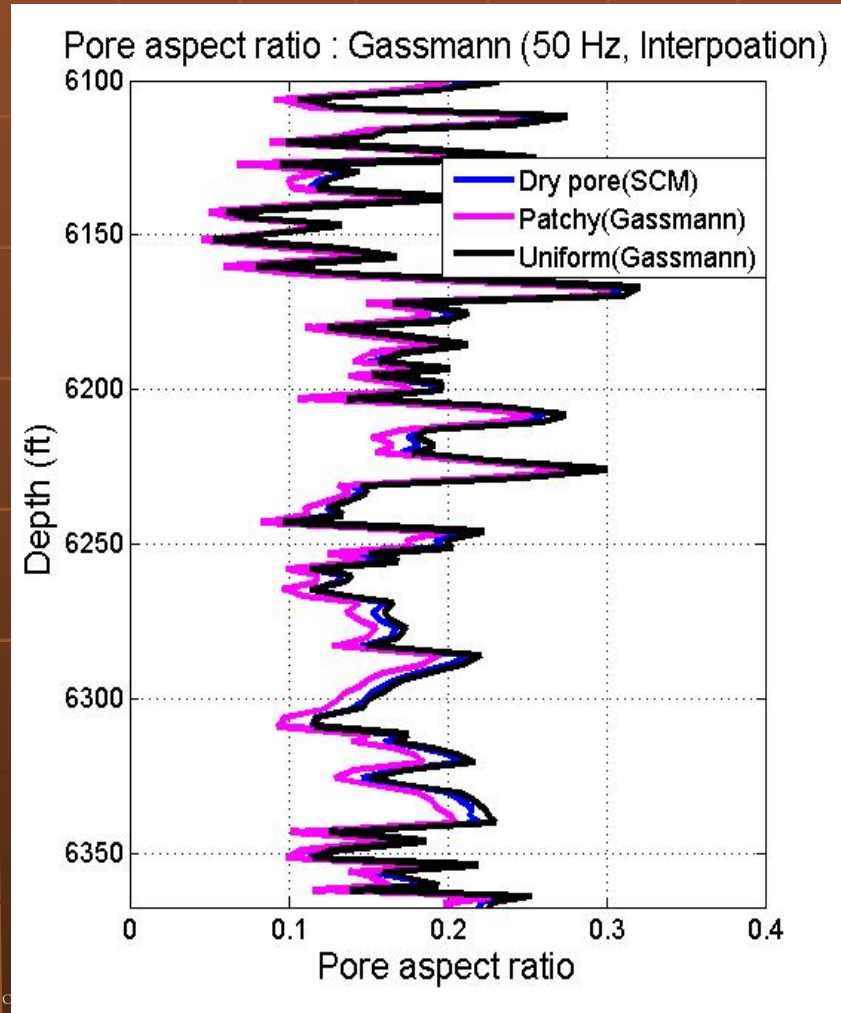
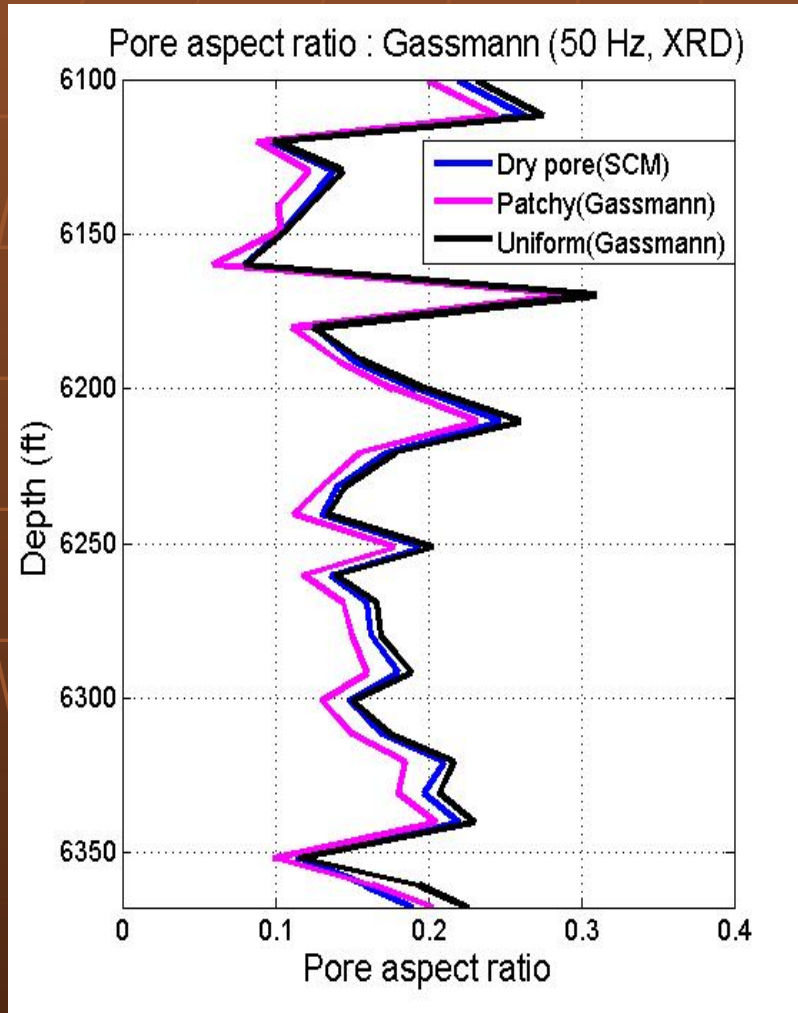


Pore aspect ratio decrease



Inverse relationship in SCM

2) Comparison of results for Gassmann

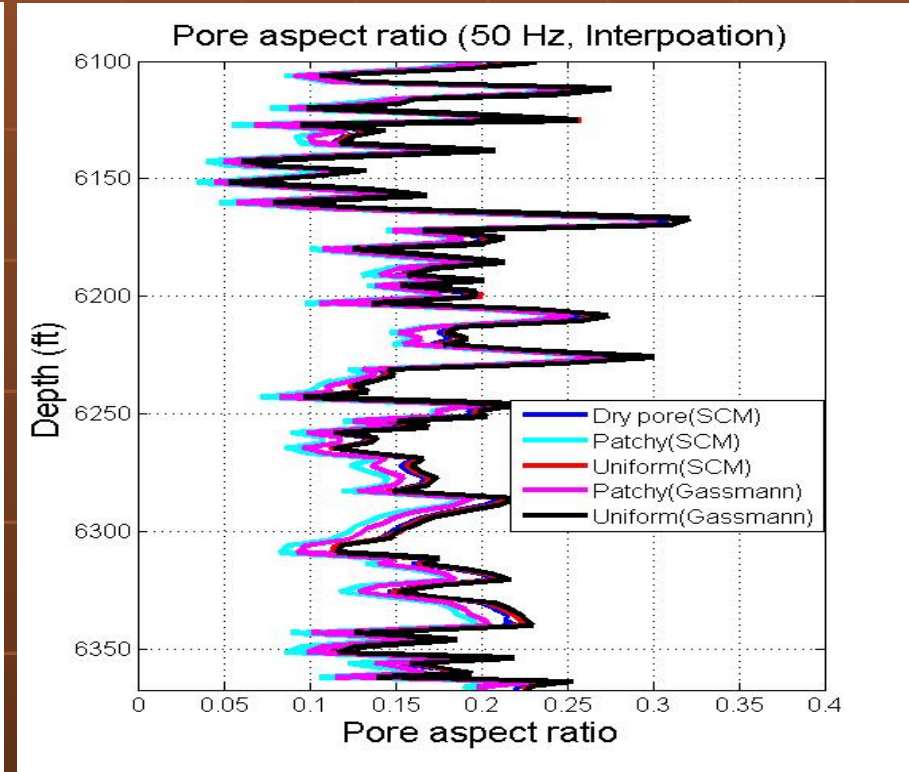
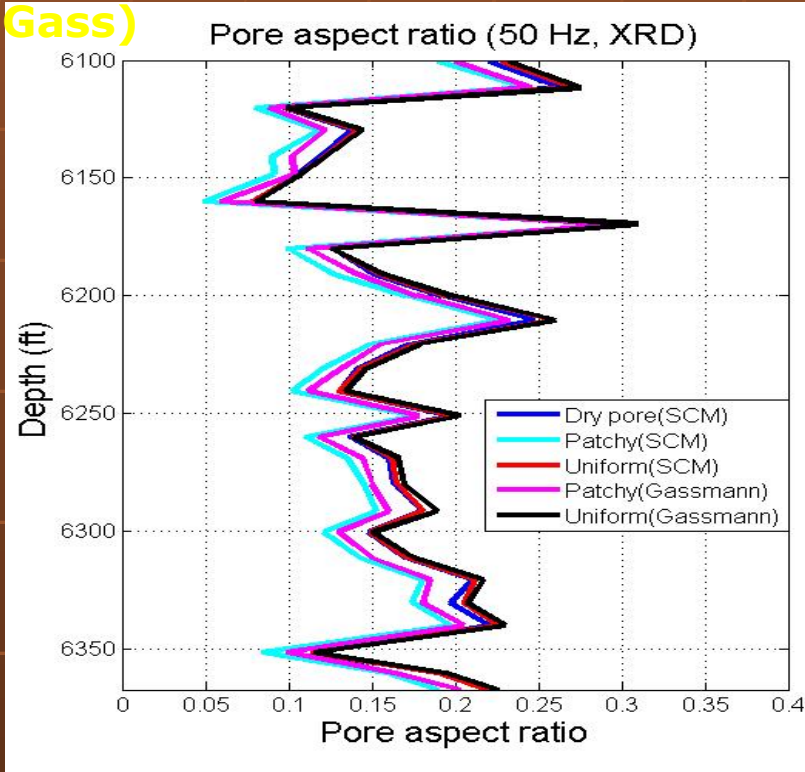


XRD data

Interpolated data

3) Comparison between SCM and Gassmann


Patchy(SCM) < Patchy(Gass) < Dry pores < Uniform(SCM) < Uniform(Gass)



Determined aspect ratios are strongly affected by the pore fluid mixing.

Mixing saturation in the Haynesville would be patchy saturation case.
(air/water interface) Pore aspect ratio : 0.035 - 0.296 (Mean : 0.145)

7. Conclusion

- Determining pore aspect ratios
: reservoir characteristics at the seismic scale.
- V_p and S_w in water/gas reservoir
: heterogeneous (patchy) or homogeneous
(uniform ).

Pore aspect ratio determination

- Fluid mixing types affect differently the calculations for pore aspect ratios and P-wave velocities.
- Help to find optimal locations for fracturing for the shale gas production.

Special Thanks to our Sponsors

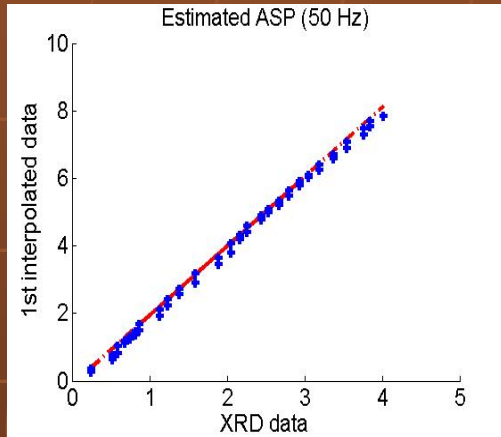


Appendix

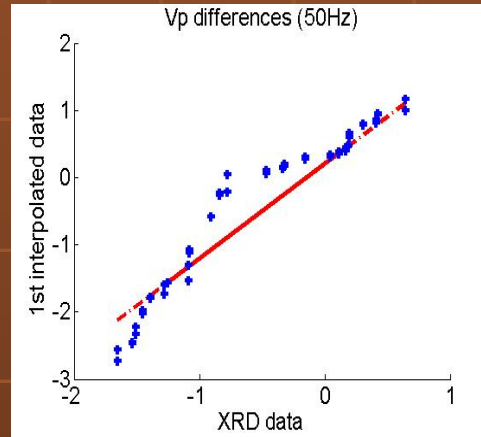
Q-Q plot for 50 Hz : Comparing two distributions

1st Interpolation

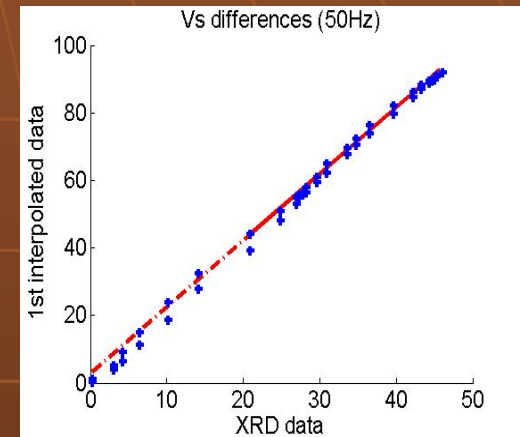
Aspect ratios



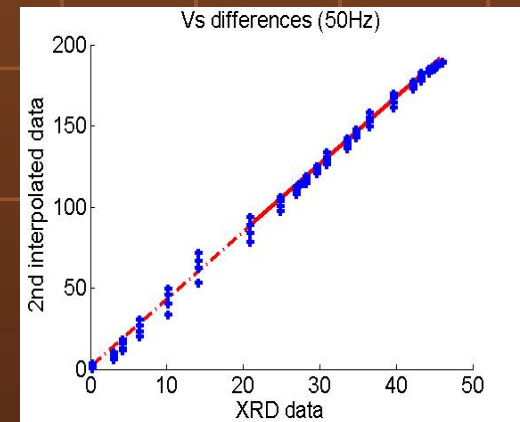
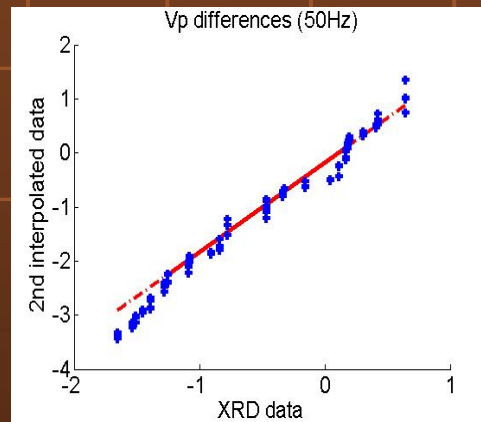
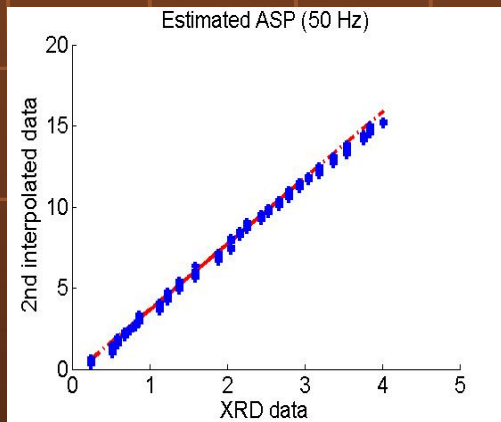
Vp differences



Vs differences



2nd Interpolation



Correlation coefficients - **0.9987**

Original data

0.9545

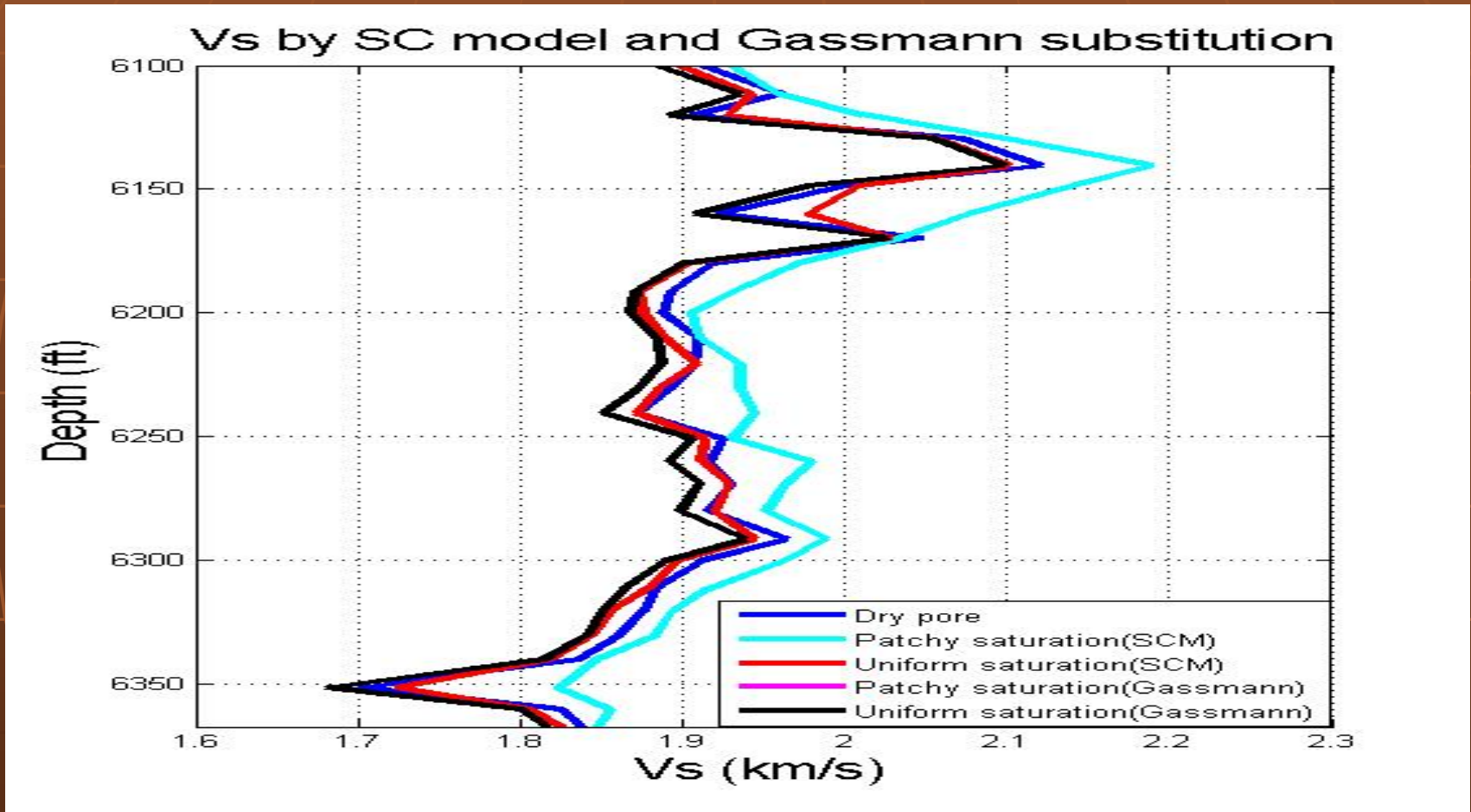
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0.9985

Velocity comparison (S-wave) by SCM



$V_{\downarrow s}$ patchy_SCM > $V_{\downarrow s}$ dry > $V_{\downarrow s}$ uniform_SCM > $V_{\downarrow s}$ patchy_Gassmann = $V_{\downarrow s}$ uniform_Gassmann